

LING 364: Introduction to Formal Semantics

Lecture 18
March 21st

Administrivia

- Welcome back!
- No class this Thursday (I'm out of town)
 - computer lab is reserved for Thursday
 - you are free to use it for the homework
- Homework 4 out today
 - a short homework
 - due next Tuesday (usual rules)
 - email me if you have questions

Administrivia

- Today
 - Quiz 4 Review
 - Continue with Chapter 5
 - Homework 4

Quiz 4 Review

- **Question 1:**
- **Assuming**
 - `s(P) --> name(N), vp(P), {saturate1(P,N)}.`
 - `vp(P) --> v(copula), np_pred(P).`
 - `np_pred(cute(_X)) --> [cute].`
 - `v(copula) --> [is].`
- (1) **What would you need to add to make this query work?**
 - `?- s(M, [shelby, is, cute], []).`

1. **Answer:** `name(shelby) --> [shelby].`

```
?- s(M, [shelby, is, cute], []).  
M = cute(shelby) ?  
yes
```

Quiz 4 Review

- **Question 2:**
- Describe in words (or implement)
- What would you need to change to make this query work?
 - `?- s(M,[the,dog,which,lives,at,paul,'\s',house,is,cute],[]).`

We can already handle the query:

```
?- np(X,[the,dog,which,lives,at,paul,'\s',house],[]).
```

```
X = dog(_A),lives_at(_A,house(paul))
```

So we want to compute

```
dog(X),lives_at(X,house(paul)),cute(X).
```

Quiz 4 Review

- `np(M) --> [the], n(M).`
- `np(M) --> name(N), [''s'], n(M), {saturate1(M,N)}.`
- `np((M1,M2)) --> np(M1), rel_clause(M2), {saturate1(M1,X), saturate1(M2,X)}.`
- `n(dog(_X)) --> [dog].`
- `n(house(_X)) --> [house].`
- `name(paul) --> [paul].`
- `name(mary) --> [mary].`
- `rel_clause(M) --> [which], subj_s(M).`
- `subj_s(M) --> vp(M).`
- `vp(M) --> v(M), np(Y), {saturate2(M,Y)}.`
- `v(lives_at(_X,_Y)) --> [lives,at].`
- `saturate1(P,Y) :- arg(1,P,Y).`
- `saturate2(P,Y) :- arg(2,P,Y).`

from Question 1

`s(P) --> name(N), vp(P), {saturate1(P,N)}.`
`vp(P) --> v(copula), np_pred(P).`
`np_pred(cute(_X)) --> [cute].`
`v(copula) --> [is].`

only deals
with
names

need to add one rule

`s((P1,P2)) --> np(P1), vp(P2),`
`{P1=(P3,_), saturate1(P3,X), saturate1(P2,X)}.`

?- `s(X,[the,dog,which,lives,at,paul,'s',house,is,cute],[]).`
`X = (dog(_A),lives_at(_A,house(paul)),cute(_A))`

Today's Topic

- Continue with Chapter 5
- Homework 4

Indefinite NPs

- **(Section 5.3)**
- Contrasting *indefinites* and *definites* with respect to discourse
- **Example:**
 - (6a) *A dog* came into the house (*followed by*)
 - (6b) *The dog* wanted some water
- Information-wise:
 - (6a) *A dog* (*new information*) came into the house
 - (6b) *The dog* (*old information*) wanted some water
- Novelty-familiarity distinction

Indefinite NPs

- Information-wise:
 - (6a) **A dog** (*new information*) came into the house
 - (6b) **The dog** (*old information*) wanted some water
- How to represent this?
- One possibility:
 - (6a) `dog(x), came_into(x,house99).`
 - **Imagine a possible world** (Prolog database):
 - `dog(dog1). dog(dog2). dog(dog3).`
 - `came_into(dog3,house99).`
 - **Query:**
 - `?- dog(X), came_into(X,house99).`
 - `X = dog3`
 - (6b) `wanted(dog3,water).`

Names = concealed descriptions

- **(Section 5.4.1)**
- **Example:**
 - (A) (*Name*) Confucius
 - (B) (*Definite Description*) **the** most famous Chinese philosopher
- **Similarities**
 - both seem to “pick out” or refer to a single individual
- **One important difference**
 - (B) tells you the criterion for picking out the individual
 - X such that chinese(X), philosopher(X), more_famous_than(X,Y), chinese(Y), philosopher(Y), $\forall X=Y$.
 - ***is this characterization complete?***
 - (A) doesn't
 - we trust, in most possible worlds, computation gives us $X = \text{confucius}$

Also saw this earlier for “Shelby” and “the dog which lives at Paul’s house

Names are directly referential

- (Section 5.4.2)
 - Kripke: names are non-descriptive
 - names refer to things from historical reasons (causal chain)
 - **Example** (clear causal history):
 - Baby X is born
 - Parents name it Confucius
 - other people use and accept parent's name
 - gets passed down through history etc...
-
- (*actually not the best example to use...*)
 - real name: Kong Qiu 孔子
 - styled as “Master Kong” = Confucius: 孔夫子

Names can change their referent

- **(Section 5.4.3)**
- A slight modification from Kripke
- Evans: *social context is important*
- **Example:**
 - Madagascar
 - originally: named part of mainland Africa
 - as a result of Marco Polo's mistake: the island off the coast of Africa
- **Another example (*possibly debunked*):**
 - kangaroo
 - “I don't understand” (aboriginal)
 - *ganjuru* (Guugu Yimidhirr word)
- **Another example:**
 - ono
 - “good to eat” (Hawaiian)

- **Adjectives (Chomsky):**

- livid as in “livid with rage”
- pale
- red



Referential and Attributive Meanings

- **(Section 5.4.4)**
- Russell: definite noun phrases do not refer at all
- Example:
 - **the** teacher is nice
 - `nice(teacher99)` . *(directly referential)*
 - there is exactly one `X` such that `teacher(X), nice(X)` .
 - *(attributive: no direct naming)*
- On the attributive reading:
 - **the** = there is exactly one `X` such that
 - (i.e. “the” is like a quantifier)
- **Which one is right and does it make any difference?**

Referential and Attributive Meanings

- (Section 5.4.4)
- Donnellan: *both are used*
- Example 1:
 - Jones has been charged with Smith’s murder
 - Jones is behaving oddly at the trial
 - **Statement:** pick out Jones
irrespective of whether he is innocent or not
therefore, referential
 - “Smith’s murderer is insane”
 - **referential or attributive use?**
- Example 2:
 - everyone loves Smith
 - Smith was brutally murdered
 - **Statement:** Smith’s murderer = whoever murdered Smith
“quantificational”
therefore, attributive
 - “Smith’s murderer is insane”
 - **referential or attributive use?**

Plural and Mass Terms

- **(Section 5.5)**
- Godehard Link: Lattice structure
- **horse:**
 - a property, i.e. $\text{horse}(X)$ is true for some individuals X given some world (or database)
- **Example:** possible worlds (w_1, \dots, w_4)
 - (11) *expressed as a mapping from world to a set of individuals*

• $w_1 \rightarrow \{A, B\}$	horse(a). horse(b).
• $w_2 \rightarrow \{B, C\}$	horse(b). horse(c).
• $w_3 \rightarrow \{A, B, C\}$	horse(a). horse(b). horse(c).
• $w_4 \rightarrow \emptyset$	
 - Then
 - meaning of horse in $w_3 = \{A, B, C\}$
 - meaning of horses in $w_3 = \{A+B, A+C, B+C, A+B+C\}$ (**idea:** *sum*)

Plural and Mass Terms

- Example possible worlds (w_1, \dots, w_4):
 - (11) expressed as a mapping from world to a set of individuals
 - $w_1 \rightarrow \{A, B\}$ horse(a). horse(b).
 - $w_2 \rightarrow \{B, C\}$ horse(b). horse(c).
 - $w_3 \rightarrow \{A, B, C\}$ horse(a). horse(b). horse(c).
 - $w_4 \rightarrow \emptyset$
 - Then
 - meaning of *horse* in $w_3 = \{A, B, C\}$
 - meaning of *horses* in $w_3 = \{A+B, A+C, B+C, A+B+C\}$ (**idea: sum**)
 - In Prolog database form:
 - w_3 : horse(a). horse(b). horse(c).
 - meaning of *horse*:
 - set of Xs that satisfies the query $?- \text{horse}(X)$.
 - or $?- \text{findall}(X, \text{horse}(X), \text{List})$. List = [a,b,c].
 - **meaning of *horses*?**

findall/3 **and** length/2

- [Introduced previously in lecture 17 slides]
- findall/3 **and** length/2
 - findall(X,P,List) .
 - List contains each X satisfying predicate P
 - length(List,N) .
 - N is the length of List
- **Example:**
 - ?- findall(X,dog(X),List), length(List,1).
 - encodes the definite description “the dog”
 - i.e. query holds (i.e. is true) when dog(X) is true and there is a unique X in a given world

Plural and Mass Terms

- **Database (w3):**

- horse(a).
- horse(b).
- horse(c).

- horses(Sum) :-
 - findall(X,horse(X),L),
 - sum(L,Sum).

- sum(L,X+Y) :- pick(X,L,Lp), pick(Y,Lp,_).
- sum(L,X+Sum) :- pick(X,L,Lp),
sum(Lp,Sum).

- pick(X,[X|L],L).
- pick(X,[_|L],Lp) :- pick(X,L,Lp).

- **Query:**

- ?- horses(X).
- $X = a+b$? ;
- $X = a+c$? ;
- $X = b+c$? ;
- $X = a+(b+c)$? ;
- no

- **Query:**

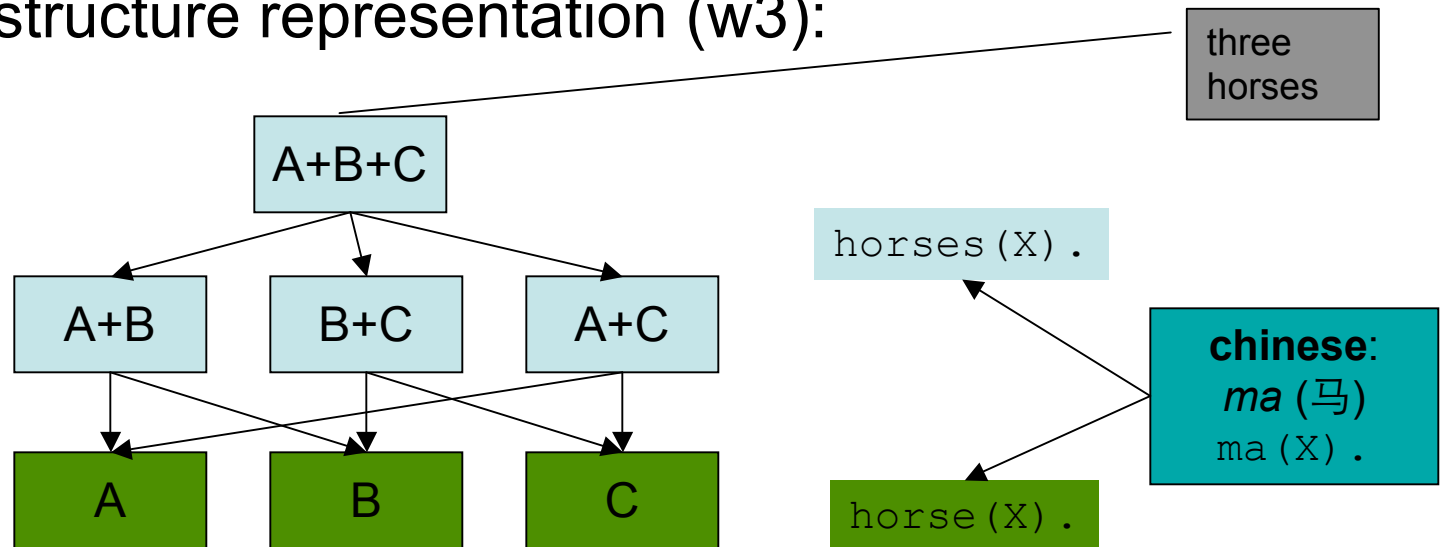
- ?- findall(X,horses(X),List).
- $List = [a+b,a+c,b+c,a+(b+c)]$? ;
- no

Homework 4

- **Question 1 (8pts)**
- (adapted from page 96)
- The proper meaning of *horses* associates a set of plural individuals with each possible world
- Convert the sample meaning for *horse* in w_1, \dots, w_4 in (11) into a meaning for *horses*
- **Use Prolog**
 - *for each case, give database and relevant query and output*
- **Question 2 (4pts)**
- Do the same conversion for w_5 and w_6 below:
 - $w_5 \rightarrow \{A, B, C, D, E\}$
 - $w_6 \rightarrow \{A, B, C, D, E, F\}$
- **Question 3 (4pts)**
- How would you write the Prolog query for “*three horses*”?
- **Question 4 (4pts)**
- How would you write the Prolog query for “*the three horses*”?

Plural and Mass Terms

- We have:
 - meaning of *horse* in $w3 = \{A,B,C\}$
 - meaning of *horses* in $w3 = \{A+B,A+C,B+C,A+B+C\}$
- Lattice structure representation ($w3$):



Plural and Mass Terms

- **Generalizing the lattice viewpoint**
 - *do we have an infinite lattice for mass nouns?*
 - *how do we represent mass nouns?*
- **Mass nouns: “uncountable”**
- **Examples:**
 - gold *(no natural discrete decomposition into countable, or bounded, units)*
 - water
 - furniture *three furnitures
 - three pieces of furniture
 - (unit = one piece)
 - *defines a bounded item which we can count*
- **Compare with:**
 - three horses (English)
 - *does “horses” comes complete with pre-defined units?*
 - three horse-classifier horse (Chinese: sān pǐ mǎ 三匹马)
 - three “units of” horse

Plural and Mass Terms

- One idea:
 - **phrase** **meaning**
 - furniture furniture(X).
 - piece of furniture furniture(X), X is bounded.
 - three pieces of furniture - *requires X to be bounded*
 - | furniture(X) | = 3, X is bounded.
 - *three furniture | furniture(X) | doesn't compute
 - **Chinese: *ma* is like furniture, doesn't come with bounded property**

 - **phrase** **meaning**
 - horses horses(X), X is bounded.
 - three horses | horses(X) | = 3, X is bounded.